

On the Ergodicity of Banach Spaces with Property (H)

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Abstract: In this note we discuss the ergodicity of the class of Banach spaces which are characterized by property (H) .

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