

Tensor Product and Local Interior G -Algebras

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ABSTRACT

In this paper we get some properties which are compatible with the outer tensor product of local interior G -algebras in Section 2, in Section 3 we generalize the results of Külshammer in [2] on some indecomposable modules by the tool of inner tensor product of local interior G -algebras, we also discussed the centralizer $C_A(A^G)$ of A^G in A for an interior G -algebra A in Section 4, which makes sense for the extended definition in Section 1.

Key words: local interior G -algebra, tensor G -algebra, defect group, centralizer.

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